

STATISTICS

4040/22 October/November 2017

Paper 2 MARK SCHEME Maximum Mark: 100

Published

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MARK SCHEME NOTES

The following notes are intended to aid interpretation of mark schemes in general, but individual mark schemes may include marks awarded for specific reasons outside the scope of these notes.

Types of mark

- M Method marks, awarded for a valid method applied to the problem.
- A Accuracy mark, awarded for a correct answer or intermediate step correctly obtained. For accuracy marks to be given, the associated Method mark must be earned or implied.
- B Mark for a correct result or statement independent of Method marks.

When a part of a question has two or more 'method' steps, the M marks are in principle independent unless the scheme specifically says otherwise; and similarly where there are several B marks allocated. The notation 'dep' is used to indicate that a particular M or B mark is dependent on an earlier, asterisked, mark in the scheme.

The symbol \checkmark implies that the A or B mark indicated is allowed for work correctly following on from previously incorrect results. Otherwise, A and B marks are given for correct work only.

Abbreviations

- **AG** answer given on question paper
- awrt answer which rounds to
- cao correct answer only
- dep dependent
- ft follow through after error
- oe or equivalent
- SC special case
- soi seen or implied
- www without wrong working

Question	Answer	Marks	Partial marks
1(i)	39 and 34	1	B1
1(ii)	Key/labelling on sectional bars (pass, merit, distinction) and labelling on horizontal axis (male, female)	4	B1
	12/'39'×100, 16/'39'×100, 11/'39'×100; 19/'34'×100, 4/'34'×100, 11/'34'×100 At least one correct percentage calculation		M1
	31, 41, 28; 56, 12, 32 (awrt) At least two correct percentages seen, ft their totals from (i)		A1√ [^]
	Fully correct bar heights		A1

Question	Answer			Marks	Partial marks	
2(i)	Qualitative	Discrete quantitative	Continuous quantitative	Not a variable	4	B4 for all 5 correct
			\checkmark			Conect
	✓					
		\checkmark				
	\checkmark					
				✓		
	(B3 for 4 correct, E	32 for 3 correct, B1	for 2 correct)			
2(ii)	19 and 22				1	B1
2(iii)	49.5 and 54.5				1	B1
3(i)	A pair of frequency	v polygons drawn fe	or comparison		4	B1
	Key/polygons labe (number/frequency					B1
	Suitable linear sca	les				B1*
	Correct plots horiz	ontally and vertical	ly			B1dep
3(ii)	Male elephants ha	ve a greater should	der height oe		1	B1

Question	Answer	Marks	Partial marks
4(a)(i)	Use of $P(A \cap B) = P(A) \times P(B)$	2	M1
	P(<i>B</i>) = 0.25/0.5 = 0.5 www		A1
4(a)(ii)	Obtaining a head/tail when another coin is thrown Or obtaining a head/tail when the coin is thrown again Or some other independent event with probability of 0.5 e.g. obtaining an even number when a [fair] die is thrown	1	B1

Question	Answer	Marks	Partial marks
4(b)	Use of $P(CUD) = P(C) + P(D)$	3	M1
	P(CUD) = 0.62 + 0.21 = 0.83		A1
	$P(C \cap D) = 0$		B1

Question	Answer	Marks	Partial marks
5(i)	Houses at equal intervals	3	M1
	40/5 [=8] or intervals of 8 seen		M1
	02 10 18 26 34		A1
5(ii)(a)	All even numbered houses/all from same side of road ft	2	B1√^
	People from just 5 households/people from same household may hold similar opinions		B1
5(ii)(b)	A named sampling method aiming for representation from each side of the road e.g. a sample stratified by side of road, quota – some from each side of road, systematic – odd interval, random	2	B1
	of the people [rather than the houses]		B1

Question	Answer	Marks	Partial marks
6(i)(a)	4/25 or 0.16	1	B1
6(i)(b)	19/25 or 0.76	1	B1
6(i)(c)	2/15 or 0.13[3]	1	B1
6(i)(d)	17/25 or 0.68	1	B1
6(ii)	$10/25 \times 9/24 + 6/25 \times 5/24 + 9/25 \times 8/24$ Sum of 3 products of 2 probabilities	3	M1
	$m/n \times (m-1)/(n-1)$ seen		M1
	192/600 or 8/25 or 0.32 oe		A1

Question	Answer	Marks	Partial marks
7(i)	70 000	1	B1
7(ii)(a)	Median	1	B1
7(ii)(b)	Any values between 60 000 and 80 000 (but not including 80 000)	2	B1 B1

Question	Answer	Marks	Partial marks
7(iii)	30th value and 90th value (allow 30.25th and 90.75th)	7	B1
	Either: lower quartile 20 000 +		M1
	('30' – 25)/33 × 5000 [= 757.5757]		M1
	Or: upper quartile 30 000 +		
	('90' – 87)/24 × 10 000 [=1250]		
	Lower quartile = 20 760 awrt		A1
	Upper quartile = 31 250		A1
	Upper quartile – lower quartile		M1
	10 500 awrt		A1
7(iv)	Either: 2000/5000 × 33 [= 13.2]	5	M1
	'13.2' + 20 + 5		M1
	38		A1
	'38' × \$36 + (120 – '38') × \$45 [= 5058]		M1
	Or: 3000/5000 × 33 [= 19.8]		
	'19.8' + 29 + 24 + 6 + 3		
	82		
	(120 – '82') × \$36 + '82' × \$45 [=5058]		
	[\$] 5060 awrt		A1

Question	Answer	Marks	Partial marks
8(i)	1200 \times 0.12, 600 \times 0.4, 20 \times 1.2 one correct product	3	M1
	144:240:24 oe		A1
	6:10:1		A1
8(ii)	Leaflets: 103	5	B1
	Phone calls: 0.38/0.4 [×100] or 0.02/0.4 [×100] oe		M1
	95		A1
	Petrol: 1.26/1.2 [×100] or 0.06/1.2 [×100] oe		M1
	105		A1
8(iii)(a)	'6' × '103' + '10' × '95' + '1' × '105'	3	M1
	÷ ('6' + '10' + '1')		M1
	98.4 cao (must be to 1 dp)		A1

Question	Answer	Marks	Partial marks
8(iii)(b)	[Costs/prices] reduced	3	B1√^
	by 1.6% awrt		B1√ [^]
	between this year and last year/since last year/over the year		B1
8(iv)	 2 in context reasons e.g.: Number of leaflets may have changed/increased/decreased Number (of minutes) of phone calls may have changed/increased/decreased Number of litres of petrol may have changed/increased/decreased/she may travel more/less/change her car [affecting petrol consumption] Another category, such as e.g. 'online', may be introduced 	2	B1 B1

Question	Answer	Marks	Partial marks
9(i)	1-0.8 [= 0.2]	4	M1
	0.8 × 0.1		M1
	0.2 × 0.7		M1
	$0.8 \times 0.1 + 0.2 \times 0.7 = 0.22$ AG		A1
9(ii)	Either: 1 – 0.22 [= 0.78]	3	M1*
	0.22 × 14.50 + '0.78' × 16.50		M1dep
	Or: 0.22 × (-)2 [= (-)0.44]		
	16.50 – '0.44'		
	[\$]16.06		A1
9(iii)	Number of days late = 11	2	B1
	Expected earnings = 11 × 14.50 + 39 × 16.50 = [\$]803 or 50 × '16.06' = [\$]803 ft		B1√ [*]
9(iv)	$y \times (1 - 0.22) + (y - 3) \times 0.22 = `16.06'$ or $y - 0.22 \times 3 = `16.06'$ oe	4	M1
	(Attempt at expected earnings (involving an unknown) = '16.06')		
	A correct LHS above		M1
	Fully correct equation above		A1
	[\$]16.72		A1

Question	Answer	Marks	Partial marks
9(v)	Either: $0.16 \times 0.78 + 0.22 \times 0.84 + 0.16 \times 0.22$ Or: $1 - 0.78 \times 0.84$	3	M1
	(At least one correct product seen (土))		
	Fully correct expression		M1
	0.3448 or 0.345 or 431/1250 oe		A1

Question	Answer	Marks	Partial marks
10(i)	[Generally] quicker on first circuit oe	2	B1
	Less varied on first circuit oe		B1
10(ii)	$(57.1 - 52.3)/3.2$ [= $(Z_1 - 0)/1$] or $(63.6 - 57.6)/4.8$ [= $(Z_2 - 0)/1$]	3	M1
	1.5 and 1.25		A1
	[Zara performed better] in the second circuit as her scaled time is lower oe ft		B1√ [*]
10(iii)(a)	Attempt at mid-points 220, 260, 300 (at least one correct, allow +/- 0.5)	9	M1
	Subtraction of assumed mean from their mid-points [-40, 0, 40]		M1
	Σ f'x' [= 280]		M1*
	$\Sigma fx/50$		M1dep
	5.6 or 280/50 oe		A1
	265.6 or 266		A1
	$\Sigma f' x'^2 [= 27200]$		M1*
	Use of correct formula for variance or standard deviation		M1dep
	22.6 awrt (from correct use of assumed mean)		A1
10(iii)(b)	Data is grouped/mid-points used/we do not know the distribution within classes /large classes/the actual values are not known	1	B1
10(iii)(c)	More classes/smaller class widths	1	B1

Question	Answer	Marks	Partial marks
11(i)(a)	Pattern is likely to repeat every 5 days/5 days is one complete cycle/5 days in this school week	1	B1
11(i)(b)	Moving average values will coincide with original data/original time (or B1 for <i>n</i> is odd/values are already centred)	2	B2
11(i)(c)	Totals: 1269, 1275, 1280, 1288, 1297, 1305 1 correct total (may be implied)	3	M1
	253.8, 255, 256, 257.6, 259.4, 261 2 correct moving averages seen		A1
	All correct and in correct positions in table		A1

Question	Answer	Marks	Partial marks
11(ii)	281 – '253.8' [=27.2] , 289 – '261' [=28] one correct difference (allow \pm)	3	M1
	Sum of 2 differences ÷ 2		M1
	27.6		A1
11(iii)	6 correct plots vertically ft	3	B1√ [^]
	6 correct plots horizontally		B1
	Suitable trend line		B1√
11(iv)	A reading from the trend line + '27.6'	2	M1
	296 (whole number) ft their 27.6 and accurate reading from their trend line		A1√
11(v)(a)	Increasing oe	1	B1
11(v)(b)	Any plausible explanation with correct associated judgement e.g. No as there will be an upper limit (number of pupils in the school)	1	B1