

UNIVERSITY OF CAMBRIDGE INTERNATIONAL EXAMINATIONS International General Certificate of Secondary Education

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CANDIDATE NAME											
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MATHEMATICS

0580/03, 0581/03

Paper 3 (Core)

October/November 2008

2 hours

Candidates answer on the Question Paper.

Additional Materials:

Electronic calculator

Mathematical tables (optional)

Geometrical instruments Tracing paper (optional)

READ THESE INSTRUCTIONS FIRST

Write your Centre number, candidate number and name on all the work you hand in.

Write in dark blue or black pen.

You may use a soft pencil for any diagrams or graphs.

Do not use staples, paper clips, highlighters, glue or correction fluid.

Answer all questions.

If working is needed for any question it must be shown below that question.

Electronic calculators should be used.

If the degree of accuracy is not specified in the question, and if the answer is not exact, give the answer to three significant figures. Give answers in degrees to one decimal place.

For π , use either your calculator value or 3.142.

At the end of the examination, fasten all your work securely together.

The number of marks is given in brackets [] at the end of each question or part question.

The total of the marks for this paper is 104.

For Examiner's Use

This document consists of 11 printed pages and 1 blank page.



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1	N.D.			
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- 1 Aida, Bernado and Cristiano need \$30 000 to start a business.
 - (a) (i) They borrow $\frac{2}{5}$ of this amount. Show that they still need \$18000.

Answer (a)(i)

(b)

(c)

Calculate this percentage increase.

[1]

(ii) They provide the \$18000 themselves in the ratio

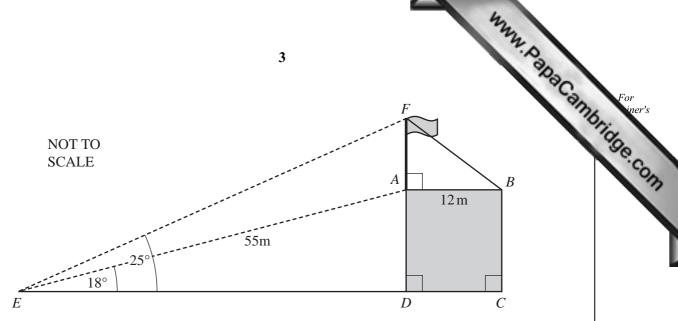
Aida: Bernado: Christiano = 5:4:3.

Calculate the amount each of them provides.

		Answer(a)(ii)Aida	\$	
			Bernado	\$	
			Cristiano	\$	 [3]
(i)	Office equipment costs 35% of the Calculate the cost of the equipment.				
(ii)	Office expenses cost another \$6500 Write this as a fraction of \$30000. Give your answer in its lowest term).	\$	•••••	 [2]
(iii)	How much remains of the \$30 000 r			•••••	 [2]
		Answer(b)(iii)\$		 [1]
	y invest \$12 500. er one year this has increased to \$15.5	500.			

Answer(c) % [3]

2



ABCD represents a building with a vertical flagpole, AF, on the roof. The points E, D and C are on level ground. EA = 55 metres. The angle of elevation of A from E is 18° and the angle of elevation of F from E is 25° .

(a)	Cal	culate
	(i)	ED,

		Answer(a)(i)	 m [2]
(ii)	FD.		

Answer(a)(ii) _____ m [2] (iii)
$$DA$$
.

(b) Show that AF = 7.4 metres, correct to 1 decimal place. Answer(b)

[1]

- (c) The width, AB, of the building is 12 metres. The top of the flagpole is attached to the point *B* by a rope. Calculate
 - (i) the length of the rope, FB,

(ii) the angle of elevation of F from B.

Answer(c)(ii) [2] 3 The table below shows the average daily sunshine, s, and the total monthly rainfall, r, for during one year.

Month	Jan	Feb	Mar	Apr	May	June	July	Aug	Sep	Oct	Nov	Dec
s (hours)	6	7	7	9	10	12	12	12	9	8	6	5
r (mm)	70	52	72	41	20	6	1	4	16	52	65	67

(a) For s, find

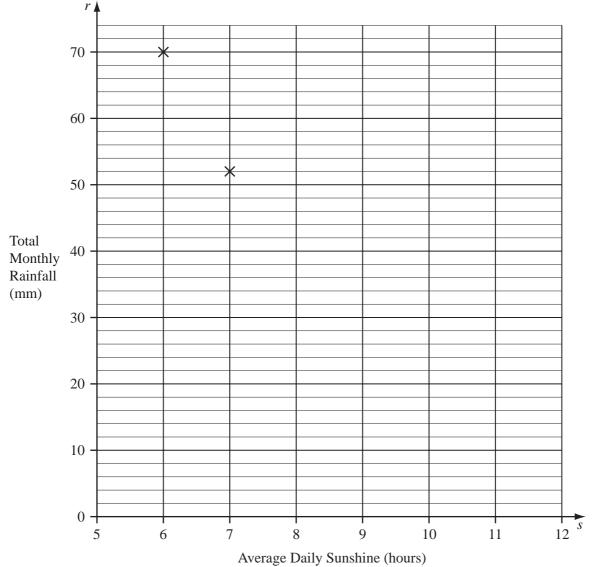
(i) the mode

Answer(a)(i)	hours	Γ1 [°]
a_{1113} were $(a_{1}(1)$	 mours	1 1

(ii) the range,

(iii) the median.

(b) On the grid below, plot the 10 points for March to December to complete the scatter diagram.

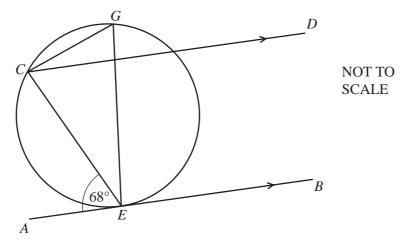


(c) (i) Calculate the mean of s.

Answer(c)(i)	hours	[2]
27.00 7.01 (0) (1)	 110 0110	L-J

- www.PapaCambridge.com (ii) The mean of r is 38.8 millimetres. On the grid, plot the point representing these means. Label this point M.
- (d) (i) Draw a line of best fit on the grid. [1]
 - (ii) What type of correlation does your scatter diagram show?

4



EG is a diameter of the circle through E, C and G.

The tangent AEB is parallel to CD and angle AEC = 68° .

Calculate the size of the following angles and give a reason for each answer.

(a)	Angle $CEG =$	because	
			[2]

(b) Angle
$$ECG =$$
 because [2]

(c) Angle
$$CGE =$$
 because [2]

(d) Angle
$$ECD =$$
 because [2]

- 5 Aminata and her brother live 18 kilometres from a shopping centre.
 - (a) Aminata leaves home at 09 00 and runs 3 kilometres to a bus stop. She arrives there at 0930.

Write down her average speed, in kilometres per hour.

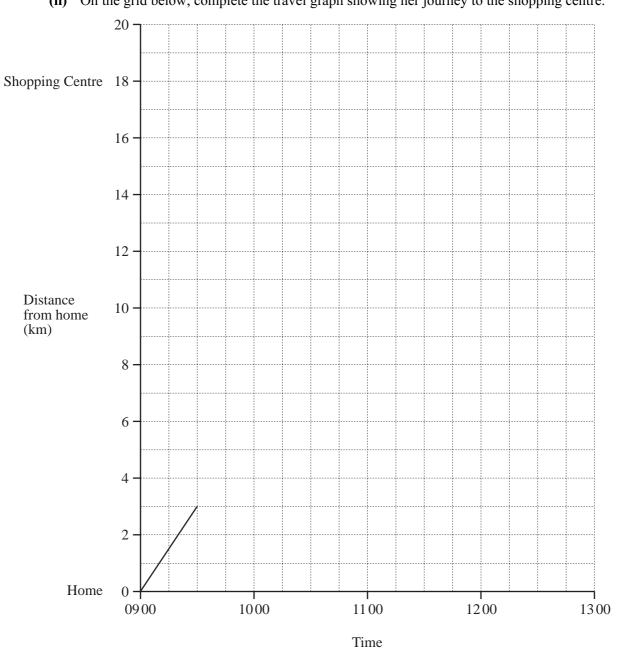
'	May .
6	1. Day
m a shopping centre.	For
xilometres to a bus stop.	ner's
res per hour.	age co
Answer(a)	km/h [1]

(b) She waits 15 minutes for the bus.

The bus travels the remaining 15 kilometres to the shopping centre at an average speed of $20 \, \text{km/h}$.

(i) At what time does she arrive at the shopping centre?

(ii) On the grid below, complete the travel graph showing her journey to the shopping centre.



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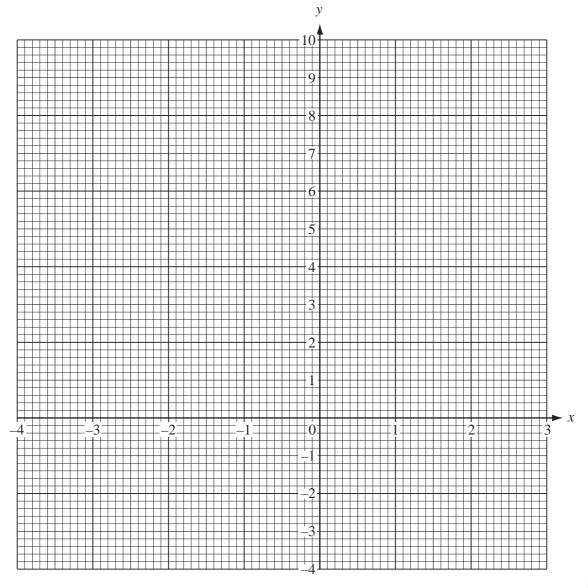
www.PapaCambridge.com (c) Her brother leaves home at 1115. He travels to the shopping centre by car at an average speed of 54 km/h. (i) Work out how long, in minutes, he takes to travel to the shopping centre. Answer(c)(i).... (ii) Show his journey on the grid. [1] (d) Aminata and her brother leave the shopping centre at 1200. They travel home by car and arrive at 1245. (i) Show their journey home on the grid. [1] (ii) Calculate the average speed of their journey home. *Answer(d)*(ii) km/h [2] 2y = 75 - 7x6 (a) (i) Find y when x = 7. Answer(a)(i) y =[2] (ii) Find x when y = 6. Answer(a)(ii) x =[2] **(b)** Make x the subject of the equation 2y = 75 - 7x. Answer(b) x =[2] (c) Solve these simultaneous equations. 4x - y = 457x + 2y = 75Answer(c) x =

.....

[3]

x	-4	-3	-2	-1	0	1	2	3
y	9		-1	-3		-1		9

(b) On the grid, draw the graph of $y = x^2 + x - 3$.



[4]

(c) Write down the coordinates of the lowest point of the curve.

Answer(c) (_______ , _____) [2]

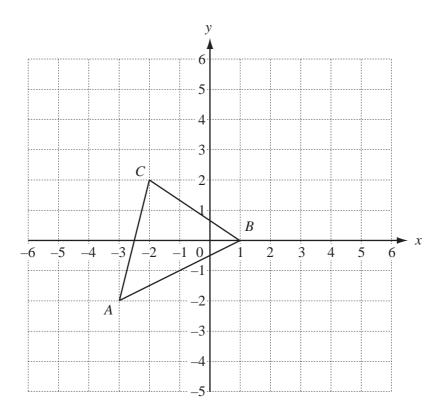
(d) (i) Draw the line of symmetry of the graph.

[1]

Write down the equation of the line of symmetry.

Answer(d)(ii) [1]





Triangle ABC is drawn on the grid.

(a) (i) Write down the coordinates of A.

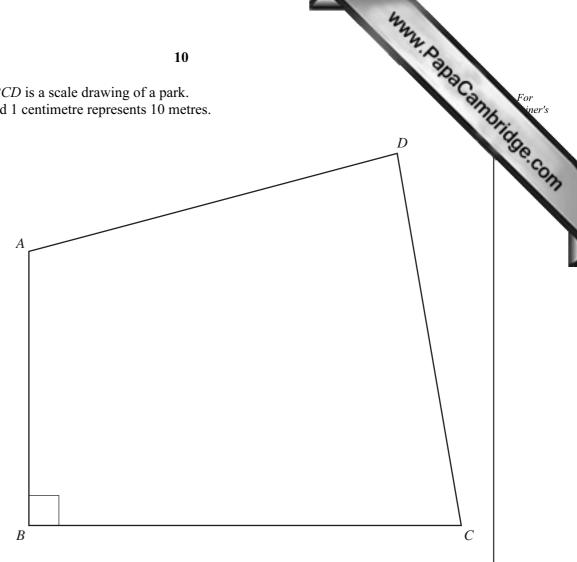
(ii) Write \overrightarrow{AB} and \overrightarrow{BC} as column vectors.

$$Answer(a)(ii) \quad \overrightarrow{AB} = \left(\qquad \right) \qquad \overrightarrow{BC} = \left(\qquad \right)$$
 [2]

- **(b)** Translate triangle *ABC* by the vector $\begin{pmatrix} 4 \\ -3 \end{pmatrix}$. Label the image *T*. [2]
- (c) $\overrightarrow{AP} = 2\overrightarrow{AB}$ and $\overrightarrow{AQ} = 2\overrightarrow{AC}$.
 - (i) Plot the points P and Q on the grid. [2]
 - (ii) Describe fully the single transformation which maps triangle ABC onto triangle APQ.

 Answer(c)(ii)
 - [3]
- (d) Rotate triangle ABC through 180° about the midpoint of the side AB. Label the image R. [2]

9 The quadrilateral ABCD is a scale drawing of a park. Angle $ABC = 90^{\circ}$ and 1 centimetre represents 10 metres.



(a) Write down

(i) the actual length, in metres, of the side CD,

Answer(a)(i)m [1]

(ii) the size of angle BAD.

Answer(a)(ii) [1]

(b) Two straight paths cross the park.

One path is the same distance from AB as from BC.

The other path is the same distance from A as from D.

- (i) Using a straight edge and compasses only, construct the lines which show each path. [4]
- (ii) Tennis courts in the park are situated in a region closer to AB than to BC and closer to A than to D. Label this region T. [1]
- (c) Keith cycles past the park, so that he is always 30 metres outside the boundary ABC. Construct the locus of points which shows this part of his route. [2]

Answer(d)

[2]

12

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